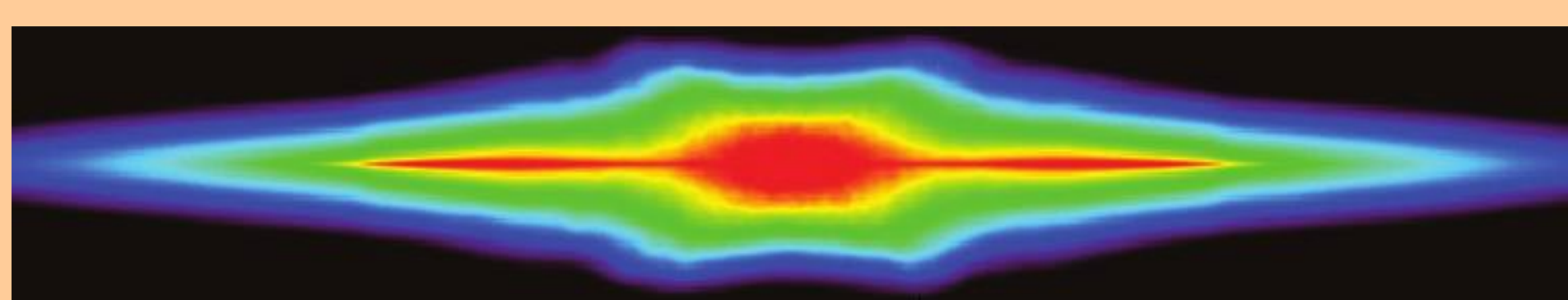


The Galactic Bar, the Kinematics of Nearby Stars in Gaia DR1, and Beyond

Ortwin Gerhard

Based on work with Matthieu Portail, Chris Wegg, Angeles Perez-Villegas (MPE), Melissa Ness (MPIA)

1. Overview: the barred Milky Way
2. Dynamical models for the Bulge-Bar: pattern speed, distribution of stellar and dark matter mass
3. Microlensing, IMF, Hercules
4. Chemo-Dynamics of different Bulge-Bar populations

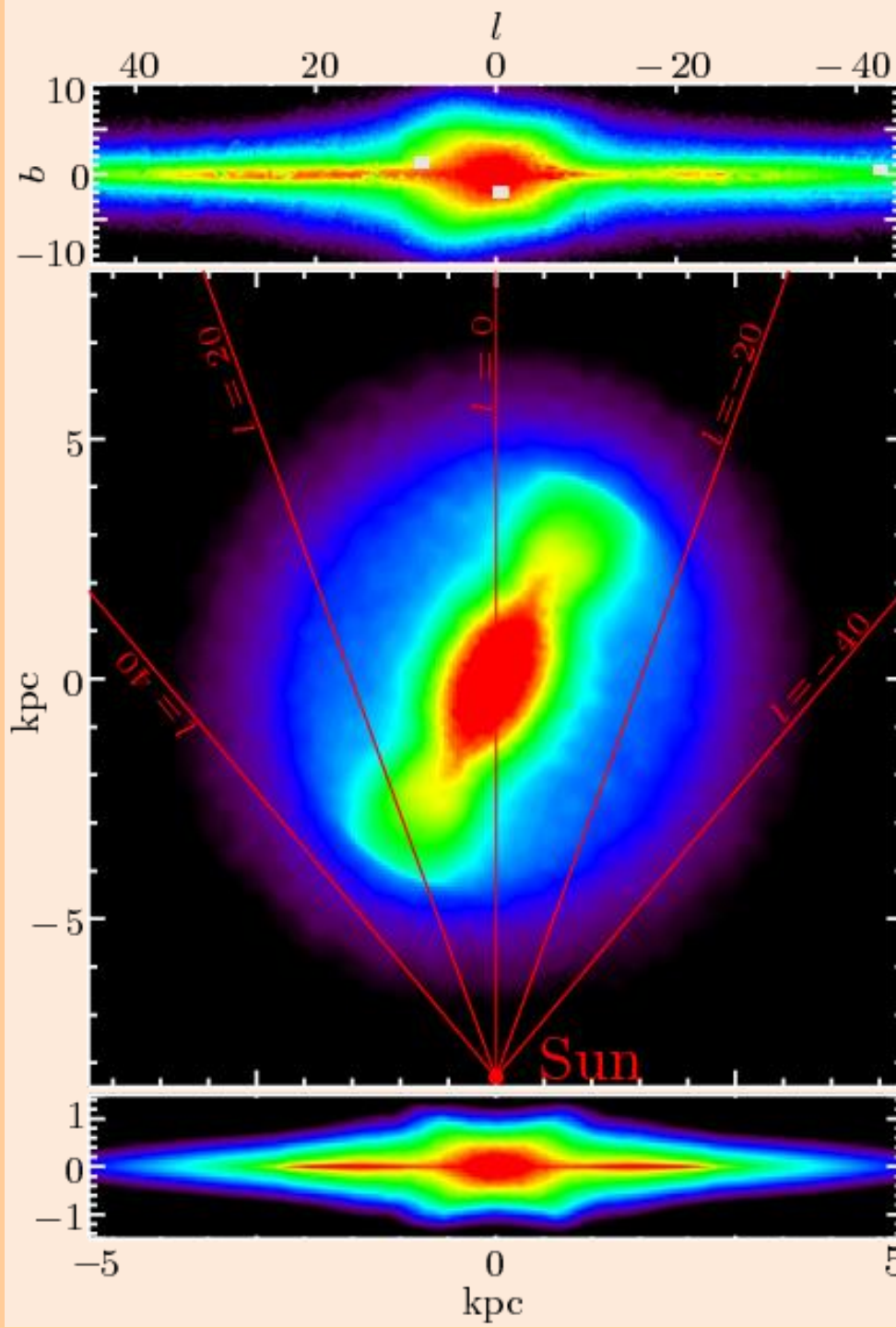


The Milky Way Bar

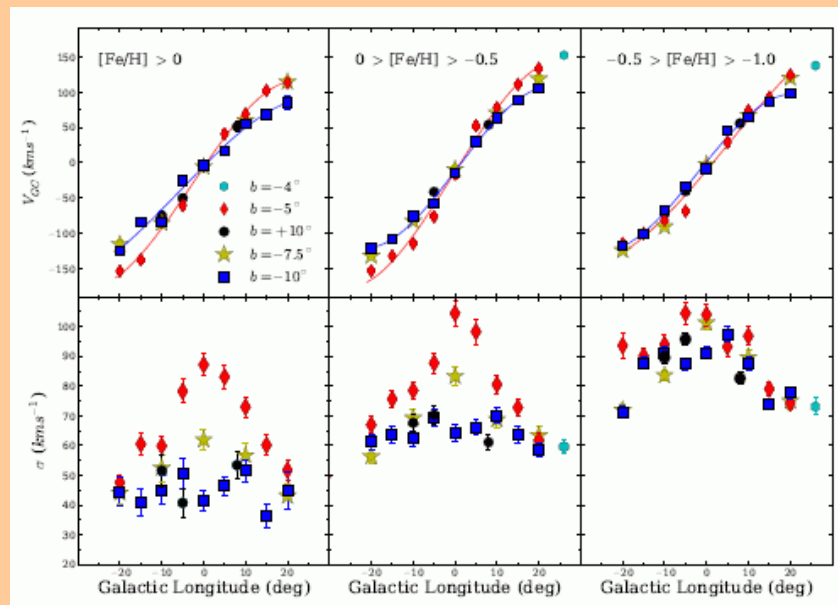
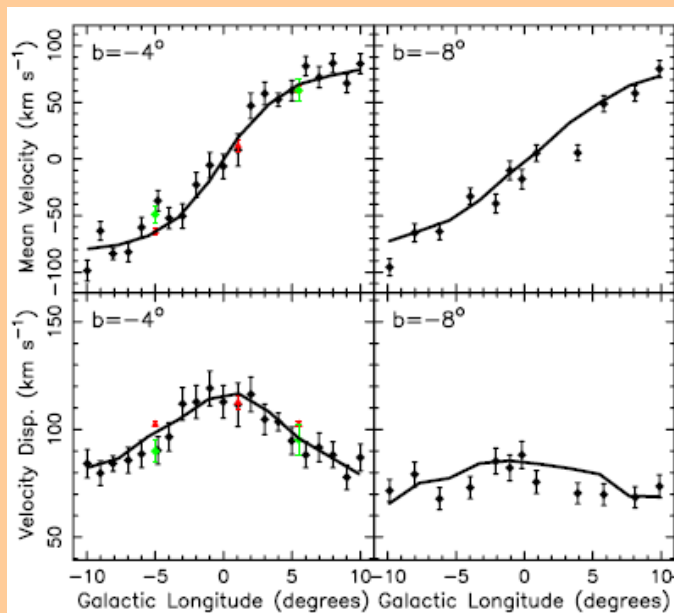
- Bulge looks like typical Box/Peanut bulge, as in external galaxies
- Shape naturally similar to N-body simulations where the central part buckles into a B/P bulge leaving a thinner long bar outside
- Based on RCG data from UKIDSS, VVV, 2MASS, with star-by-star extinction corrections
 - B/P bulge and planar bar aligned, with bar angle 28-33 deg
 - Estimated bar length 5.0 ± 0.2 kpc, then corotation radius ~ 6.0 kpc

Shape of the bulge: Wegg & OG '13

Shape of long bar: Wegg, OG, Portail '15

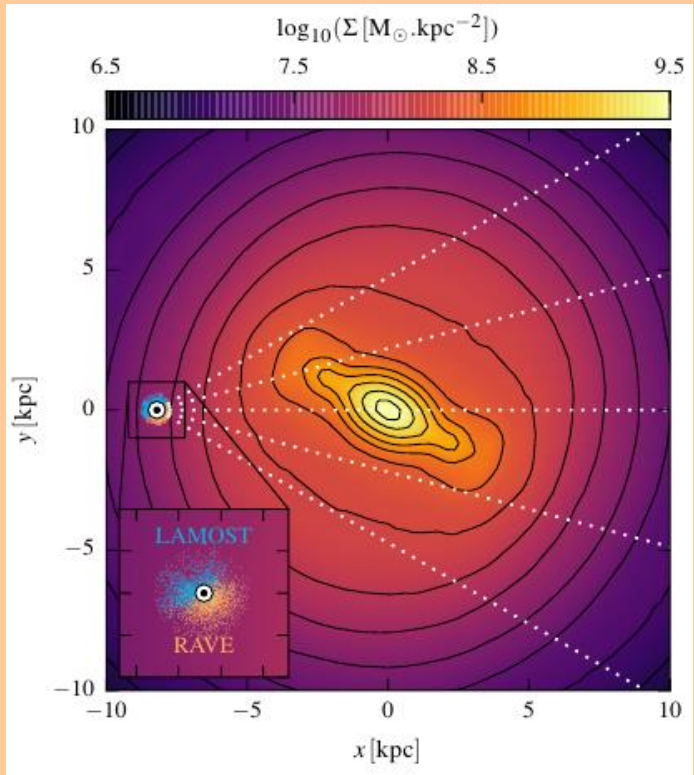


Bulge Kinematics & Metallicity



- The BRAVA data for M-giant stars (L: Howard+'08, Kunder+'12) show nearly cylindrical rotation.
- The cylindrical rotation is well fit by a boxy bulge formed from the disk. Simulations including a preexisting bulge of 8% ($\sim 25\%$) of the *disk* (bulge) mass give sign. worse fit – most of the bulge made from the disk!?! (L: Shen+'10)
- The near-cylindrical rotation is seen for all metallicities up to $[Fe/H] \sim -1$ in the ARGOS survey (R: Ness+'13). More metal-poor stars have higher dispersions. (also Babusiaux+'10, GIBS & GES surveys (Zoccali+'17, Rojas-Arriagada+'17).

Overview: The Barred Milky Way



Sun's Distance to Gal. Centre: $R_0 = 8.2 \text{ kpc} (\pm 0.1)$

Circular velocity @ Sun $V_0 = 238 \text{ km/s} (+5, -15)$

Solar motion wrt LSR $(11.1, 12.4, 7.2) \text{ km/s}$

Schoenrich+2010

Exponential disk scale-length inwards from the Sun $R_d = 2.4 \text{ kpc} (\pm 0.5)$

Length of bar $R_b = 5.0 \text{ kpc} (\pm 0.2)$

Wegg, OG, Portail 2015

Corotation radius $R_c = 6.1 \text{ kpc} (\pm 0.5)$

Photom. bulge+bar $M_{bb} = 1.9 \times 10^{10} \text{ Msun} (\pm 0.1)$

Inner disk ($< 5.3 \text{ kpc}$) $M_{id} = 1.3 \times 10^{10} \text{ Msun} (\pm 0.1)$

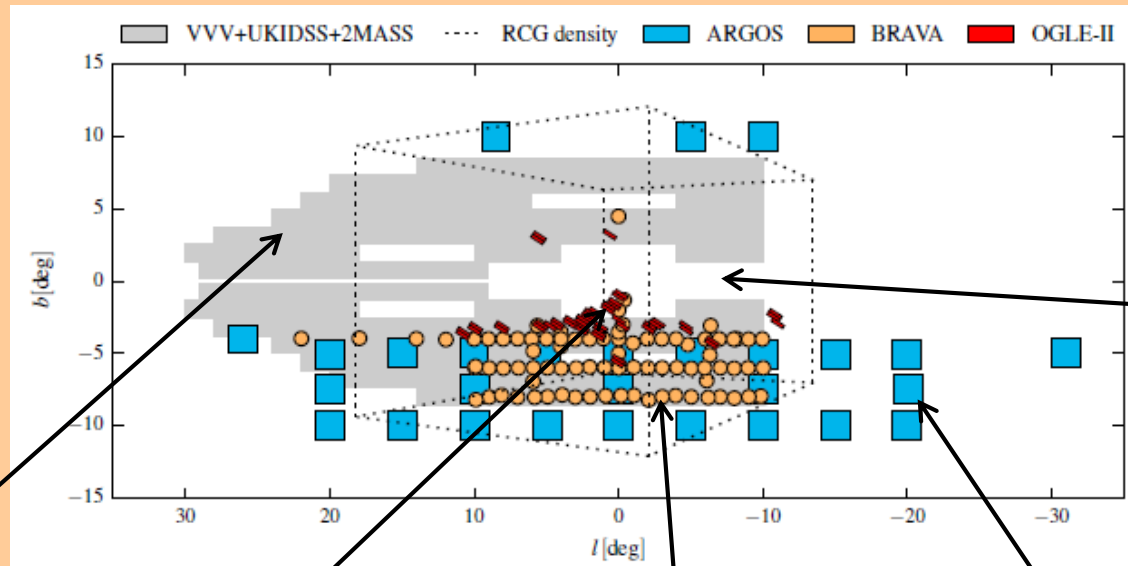
Portail, OG, Wegg, Ness 2017a

Inner B+B+ID stellar mass fraction $\sim 65\%$

Bulge stellar mass fraction $\sim 30\%$

More discussion on structural parameters: Bland-Hawthorn+OG 2016 ARAA

Data Constraints for Bulge/Bar Dynamics



+ rotation
Curve

3D density
of RCGs

Magnitude
Distributions

Proper motion
dispersion

Mean radial
velocities and
dispersion

Mean radial velocities
and dispersions as a
function of distance

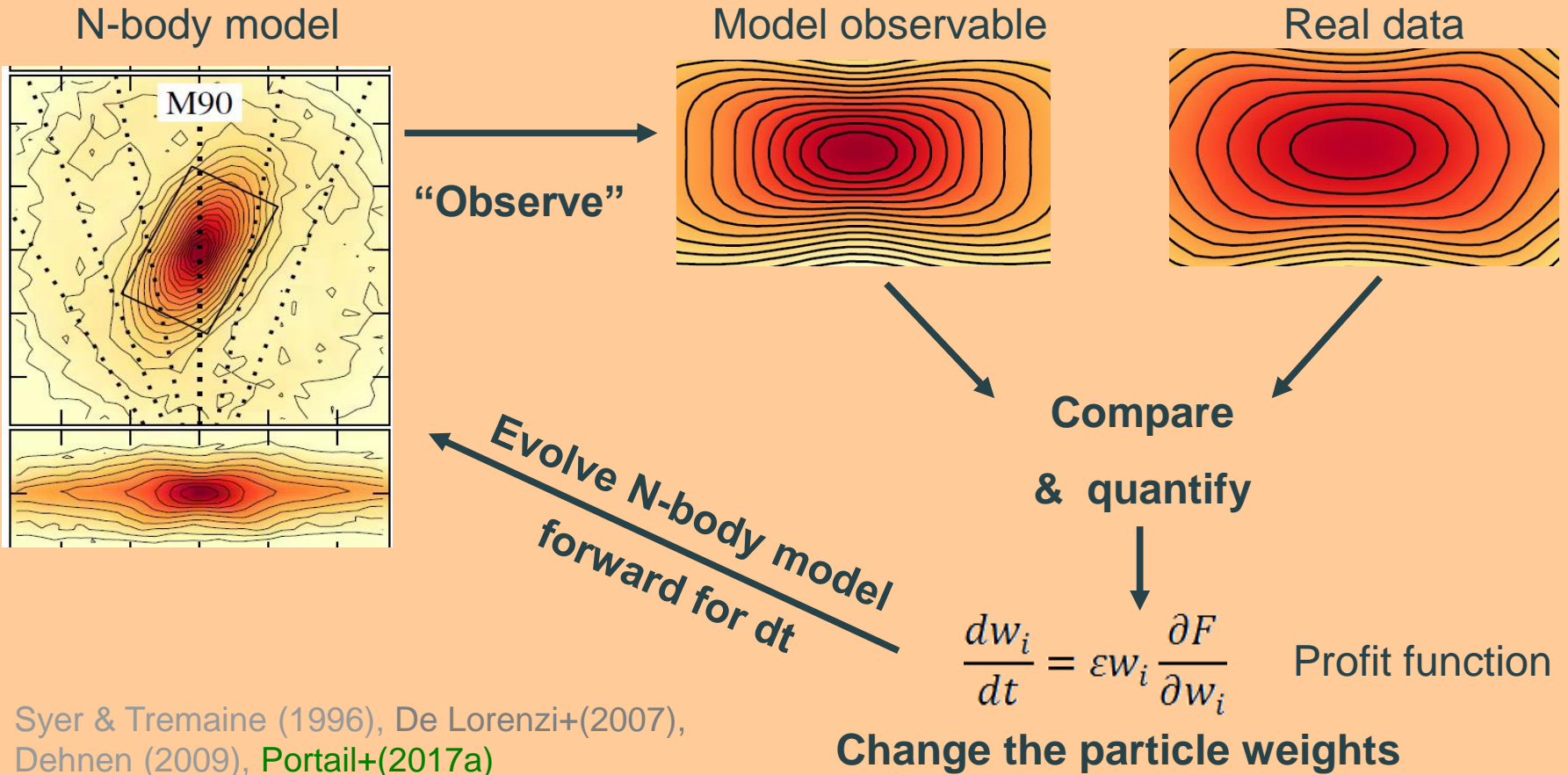
These are (only) the data included by Portail, OG, Wegg, Ness 2017a

- Star counts can be described by a density model. But stars move along their orbits. Therefore we need to combine with velocities.
- Star counts and velocity data need to be described by a dynamical model.
- Even though not strictly true, need to start with equilibrium dynamical model.
- NB: importance of accurate data (e.g., density). As for $DF|M \Leftrightarrow x, v$, or ρ, σ, β

Made-to-Measure Particle Method

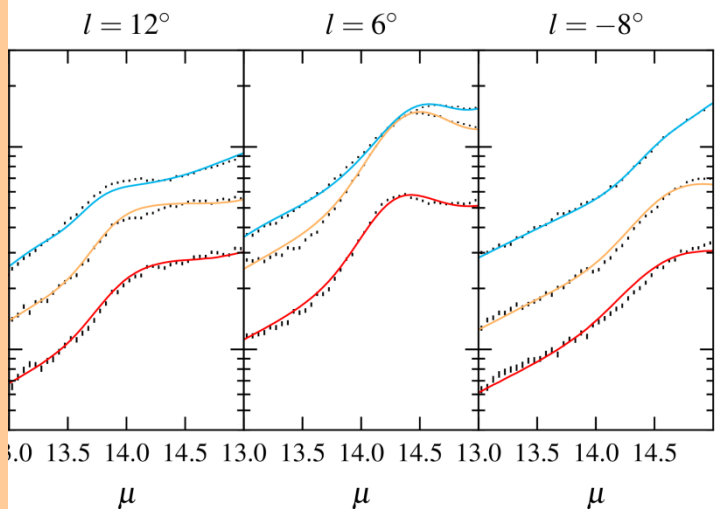
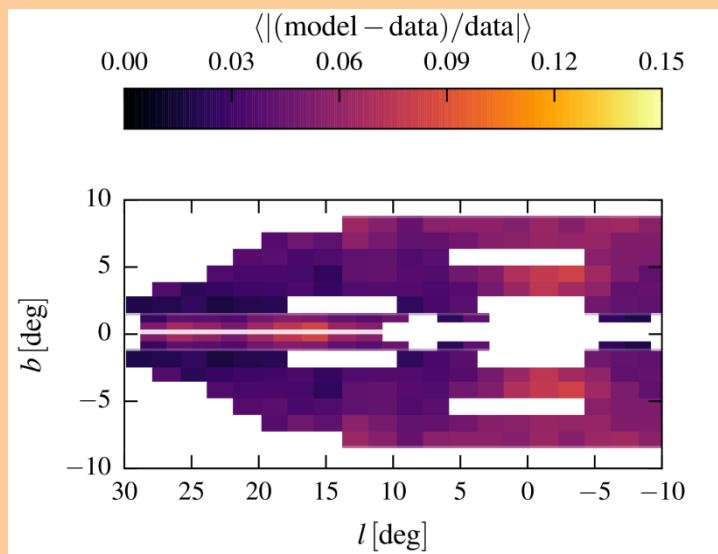
Need to fit many 1000s of observables (photometric, kinematics, population) in a rapidly rotating, complicated triaxial potential.

*Only currently practical way is with **Made-to-Measure Particle (M2M) Models***



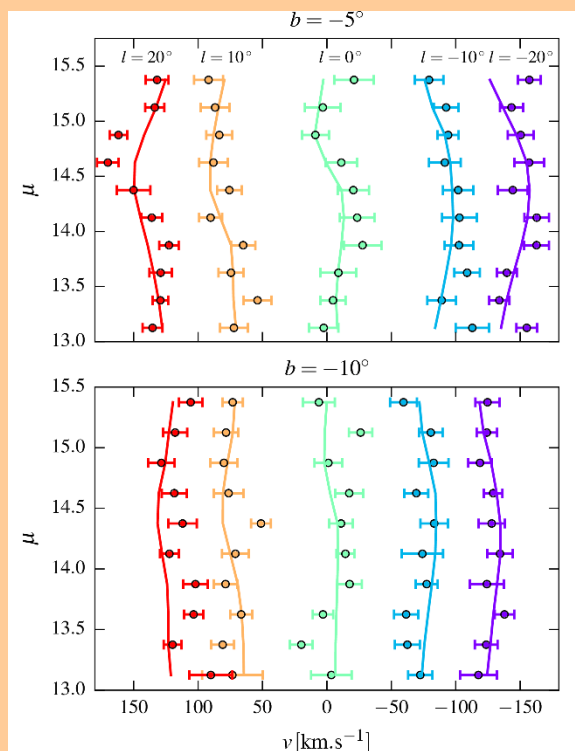
Syer & Tremaine (1996), De Lorenzi+(2007),
Dehnen (2009), Portail+(2017a)

Some of the Data Fitted



Portail, OG, Wegg, Ness 2017a

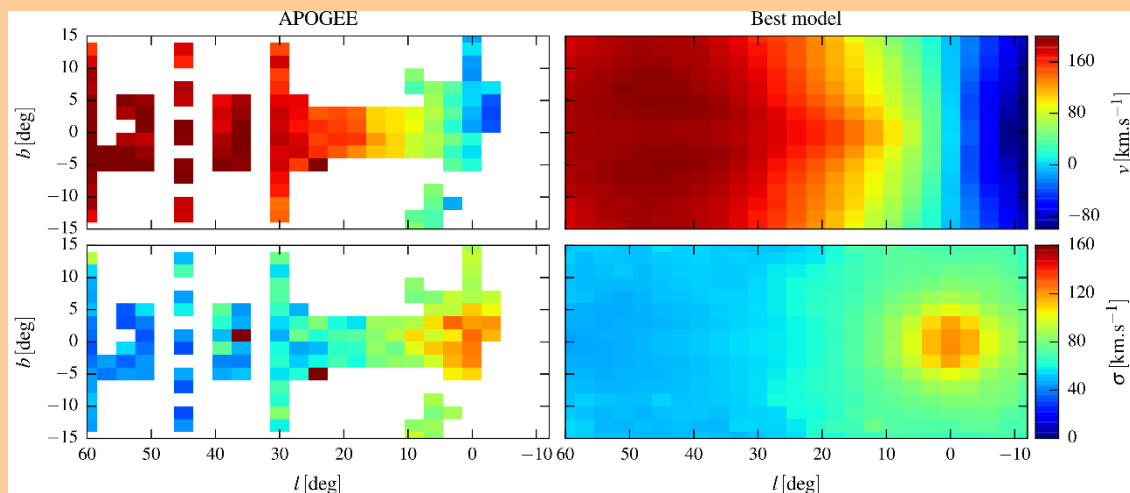
Ortwin Gerhard, MPE Garching



ARGOS: Observational selection criteria (Ness+'13) & mapping stars into distance bins using isochrones

Wavy structure of $v(\mu)$ shows streaming velocity field within the bar

APOGEE predicted



Bar Pattern Speed

Good fits to kinematic observables for 35-42.5 km/s/kpc, depending slightly on M/N_{RCG} . Joint χ^2 for ARGOS & BRAVA & syst. error estimate gives best value of **pattern speed**

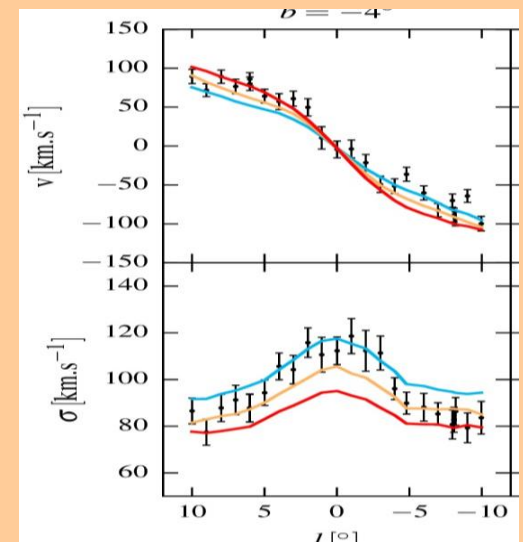
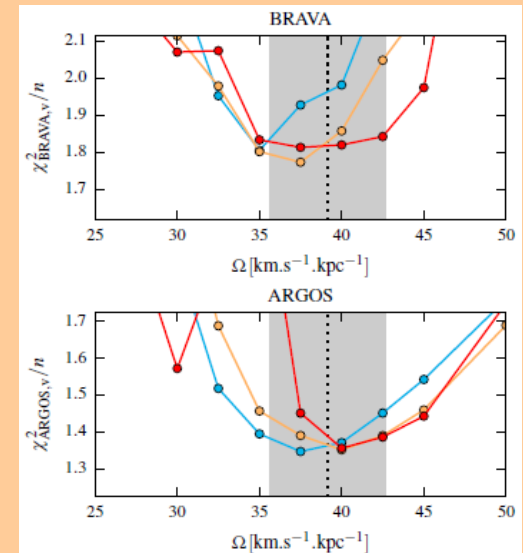
$$\Omega_b = 39 \pm 3.5 \text{ km/s/kpc}$$

Ω_b influences bulge $\langle v \rangle$ and σ ; whereas mass in bulge region influences only σ . Independent measurement from future long bar kinematics.

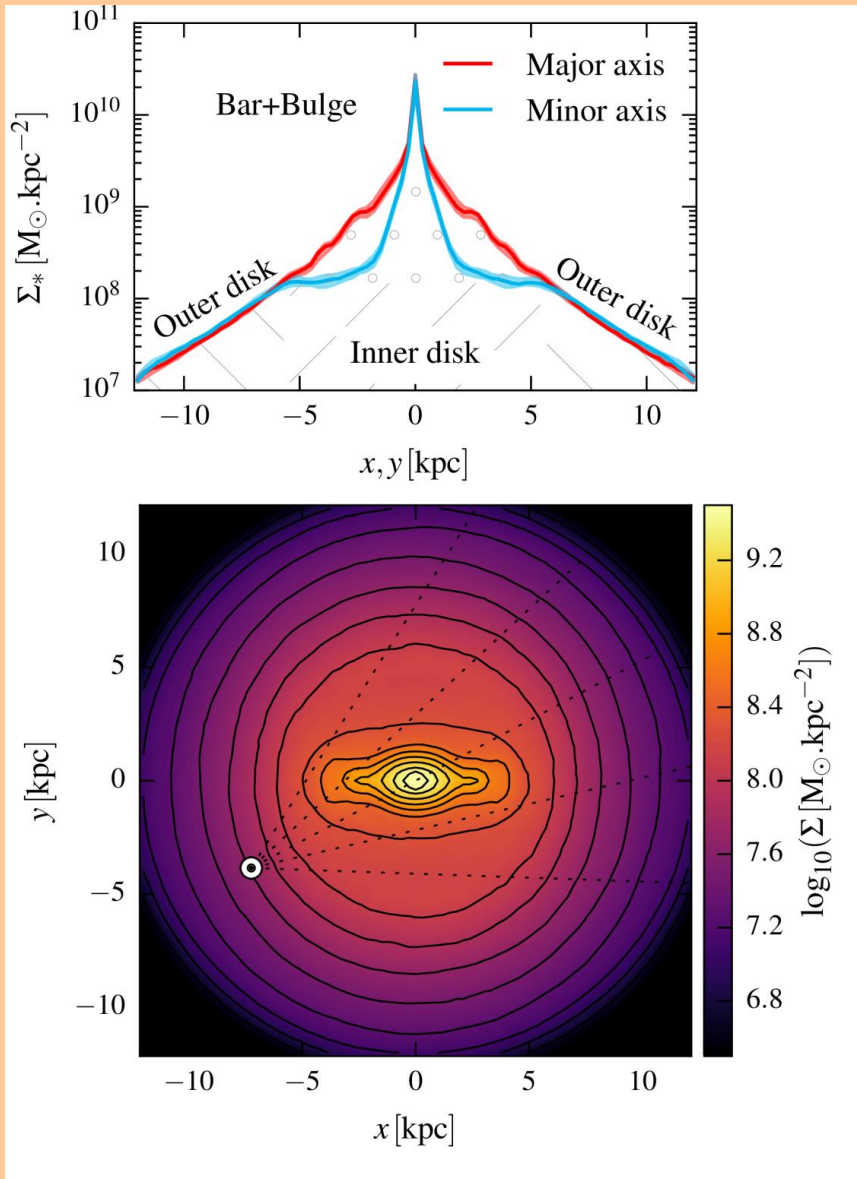
In good agreement with recent analysis of gas dynamics by [Sormani+2015](#).

With **bar half-length** $R_b = 5.0 \pm 0.2$ kpc find **corotation radius** $R_{\text{cr}} = 6.1 \pm 0.5$ kpc, $R = 1.2 \pm 0.1$

Portail, OG, Wegg, Ness, 2017a



Result from Model Fit: Stellar Mass Structure



Outer **disk surface density** meets bulge minor axis profile near end of bar; inner disk density nearly flat

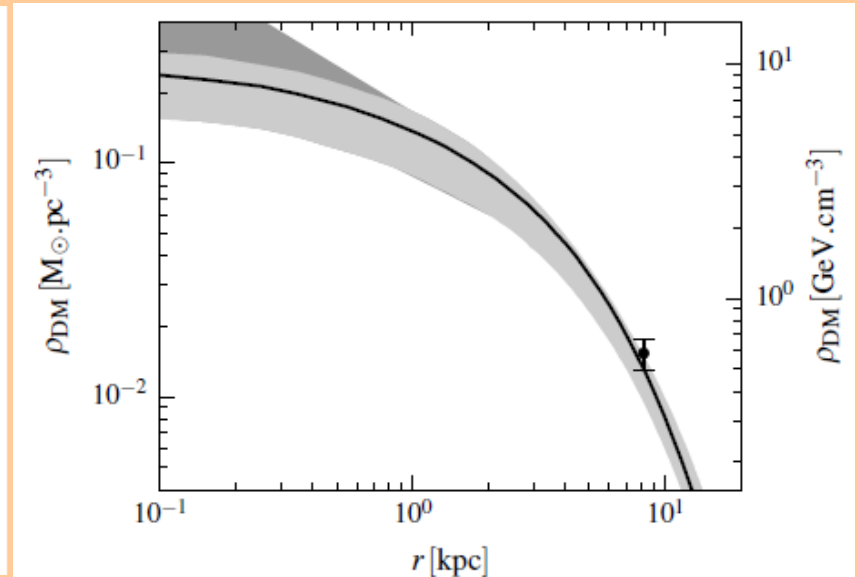
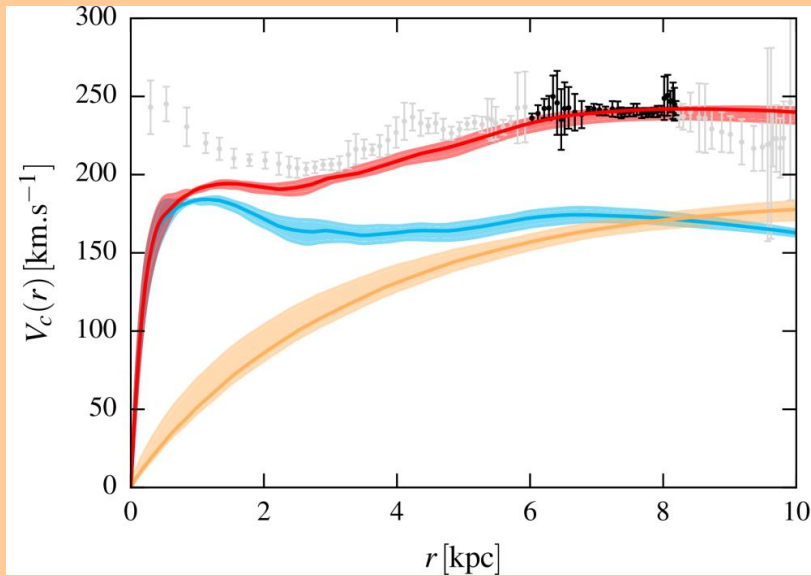
The models measure **stellar masses** in the inner 5 kpc of

- **$1.9 \times 10^{10} M_\odot$** in the **bulge and bar**,
- **$1.3 \times 10^{10} M_\odot$** in the **inner disk**, with typical error **$0.1 \times 10^{10} M_\odot$**
- **$0.2 \times 10^{10} M_\odot$** in the **nuclear disk**
(~65% of total stellar mass)

The total **dynamical mass** in the bulge WG13 volume is **$1.85 \pm 0.05 \times 10^{10} M_\odot$** (previously, 1.84 ± 0.07 , Portail+'15)

Portail, OG, Wegg, Ness 2017a, MNRAS

Dark Matter Density Profile



Portail, OG, Wegg, Ness, 2017a

- **First dynamical evidence that the dark matter profile of the MW must have a core or shallow cusp:** we know the total*, stellar, and hence the dark matter mass in the bulge, and that inside the radius of the Sun. The rotation curve wants it to be $>\sim$ NFW just inside the Sun, but then it must turn over. * $M_b = (1.85 \pm 0.05) \times 10^{10} M_{\odot}$
- DM profile goes through local value from Piffl+'14 (not fitted), rises inwards, and flattens to a core or shallow cusp in the bulge region at ~ 2 kpc.
- Independently argued by Binney & Piffl '17, from halo model fitted to local data, extrapolated to center, and using constraints from microlensing τ .

IMF from Microlensing Time-Scales

- For individual lenses, ML time-scale is degenerate between lens mass, distance, transverse velocity.
- But we now have dynamical models providing the statistical distribution of distances and transverse velocities
- Also have ML time-scales of 3560 events from OGLE-III

Wyrzykowski+'15

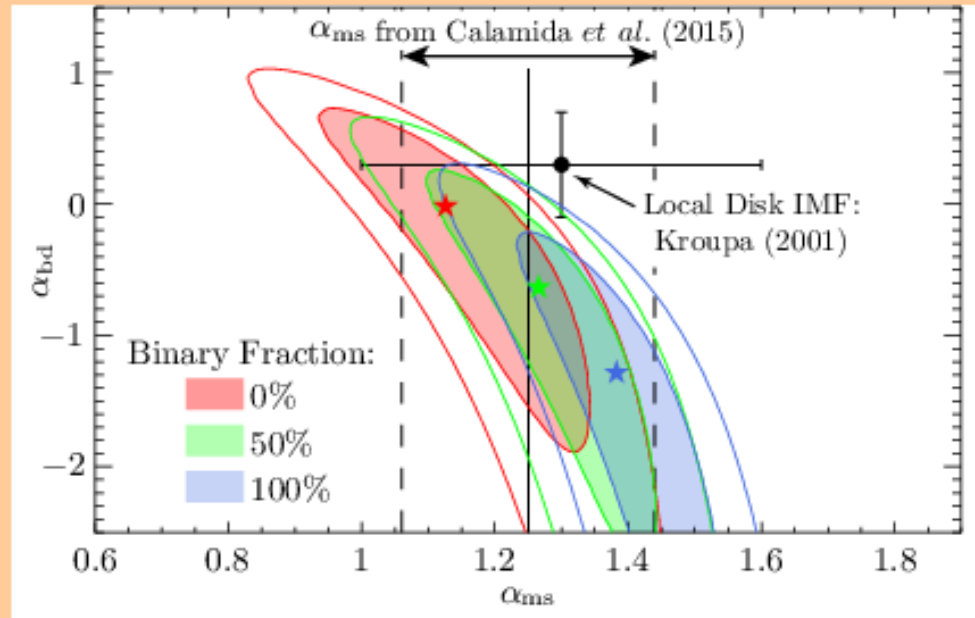
- Thus can adjust IMF, hence present-day stellar mass function, to match these time-scales using the model
- Assume a broken power-law IMF:

$dN \propto M^{-\alpha} dM$ where

$$\alpha = \alpha_{\text{bd}} \text{ for } 0.01M_{\odot} \leq M < 0.08M_{\odot}$$

$$\alpha = \alpha_{\text{ms}} \text{ for } 0.08M_{\odot} \leq M < 0.5M_{\odot}$$

$$\alpha = 2.3 \text{ for } 0.5M_{\odot} \leq M < 100M_{\odot} .$$



- Prefers near-Kroupa IMF very similar to local IMF, despite high- α , old, rapidly formed stars in the inner MW
- Also prefers a low brown dwarf fraction

Wegg et al. 2017 ApJL

IMF from Microlensing Time-Scales

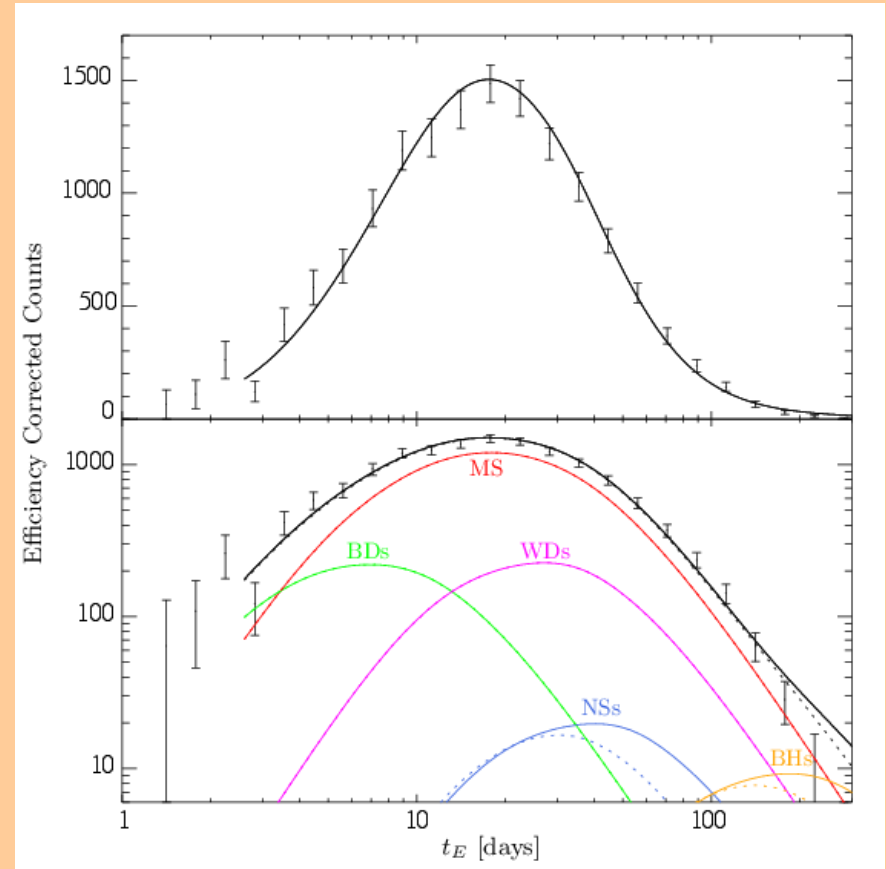
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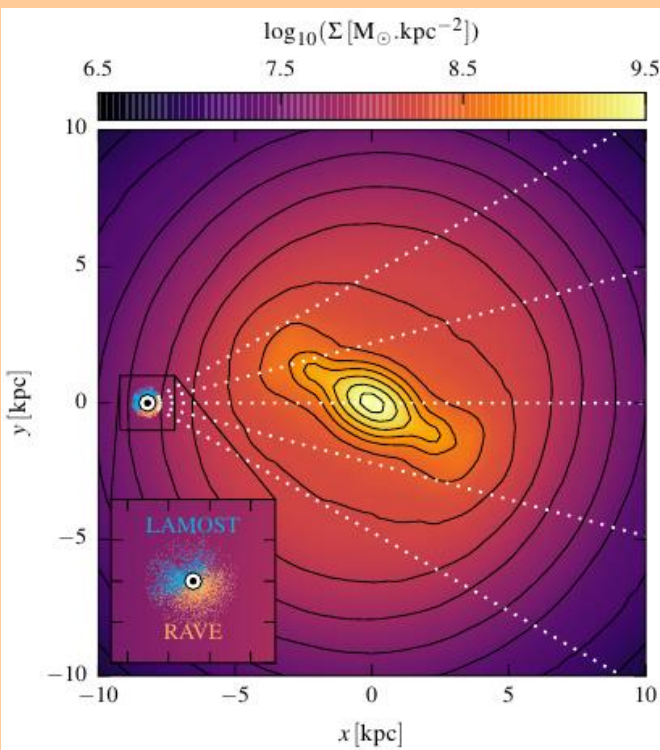


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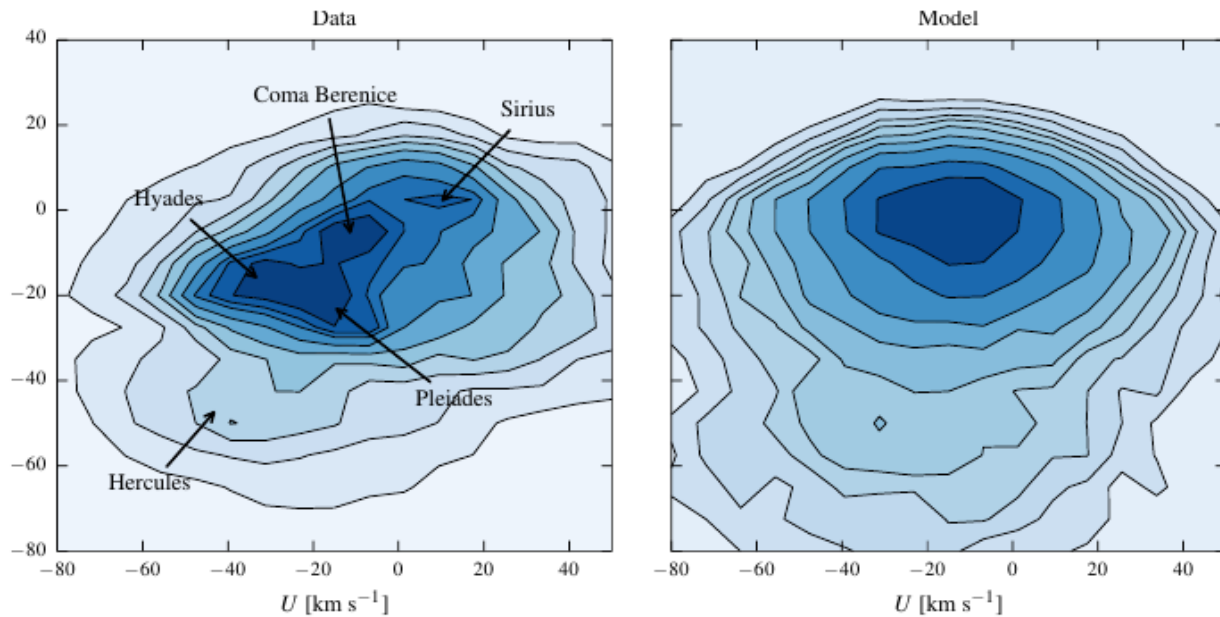
SNd: Revisiting the Hercules Stream

So far, the Hercules stream in the SNd was identified with OLR orbits near the Sun; this is incompatible with $\Omega_b=40$ km/s/kpc when the OLR is at 11.5 kpc (Dehnen'00, Antoja+'14, Monari+'16)

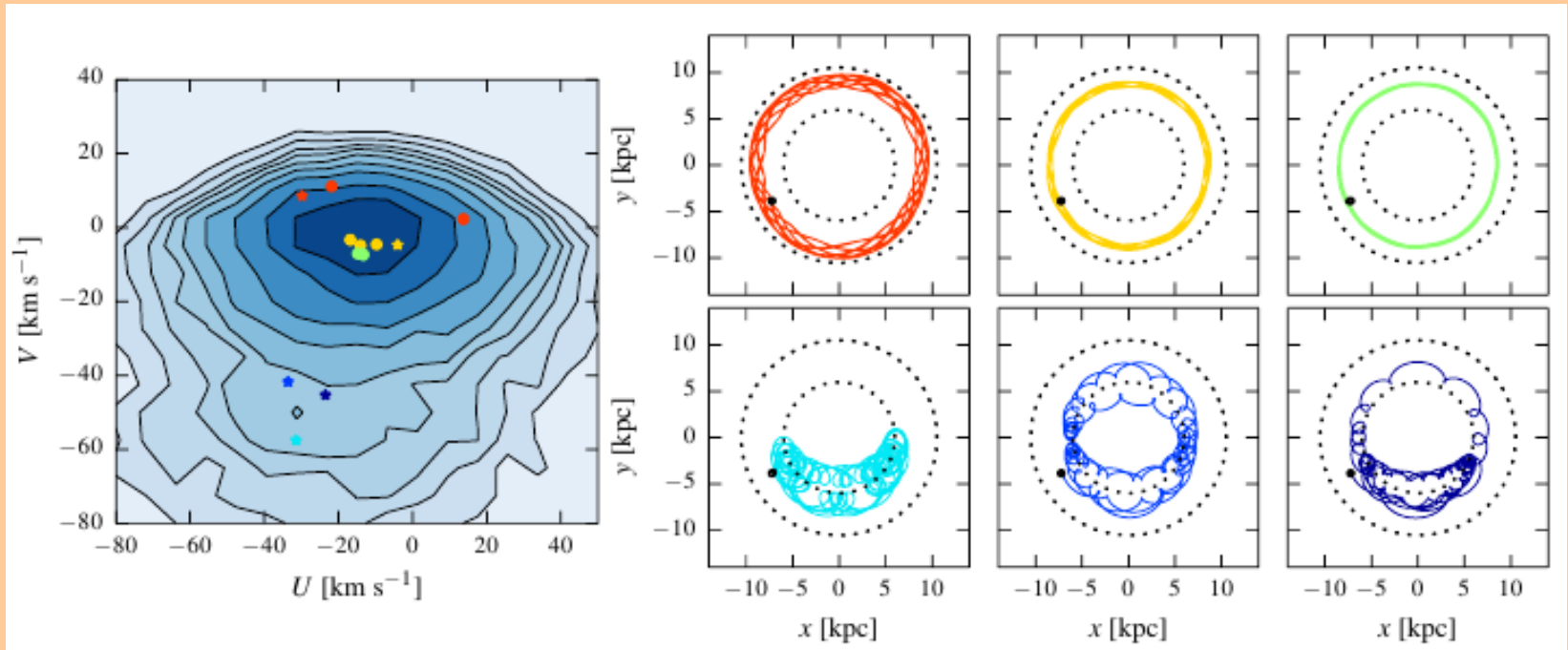
- Best model of P17a with increased resolution in the disk near Sun but no spiral arms
- Cross-matched with Gaia TGAS-RAVE-LAMOST
- Shows main bar-streaming component as well as low-V component consistent with (U,V) position of the Hercules stream



Perez-Villegas et al 2017



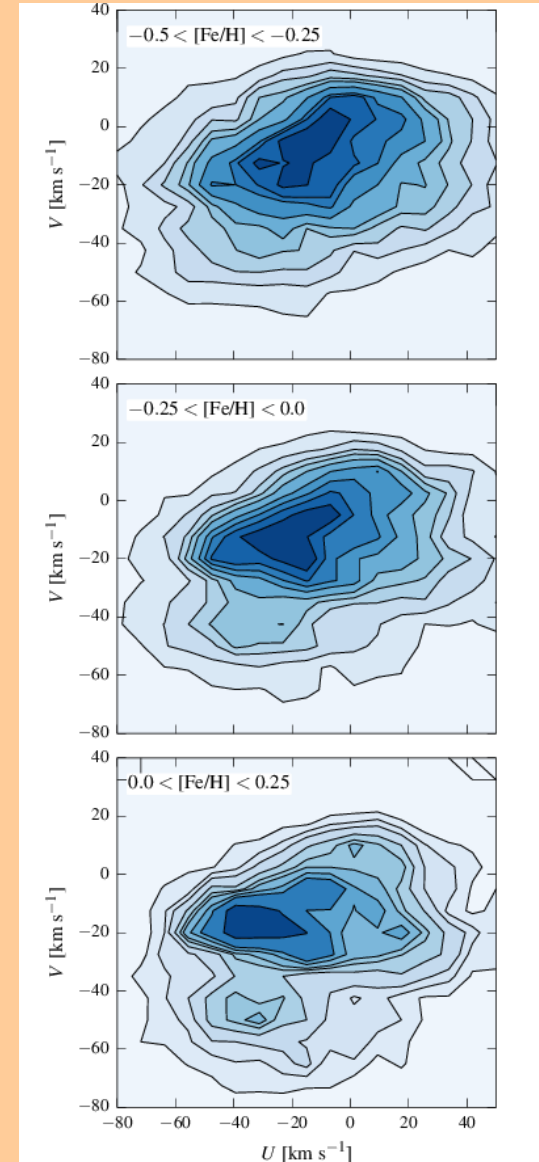
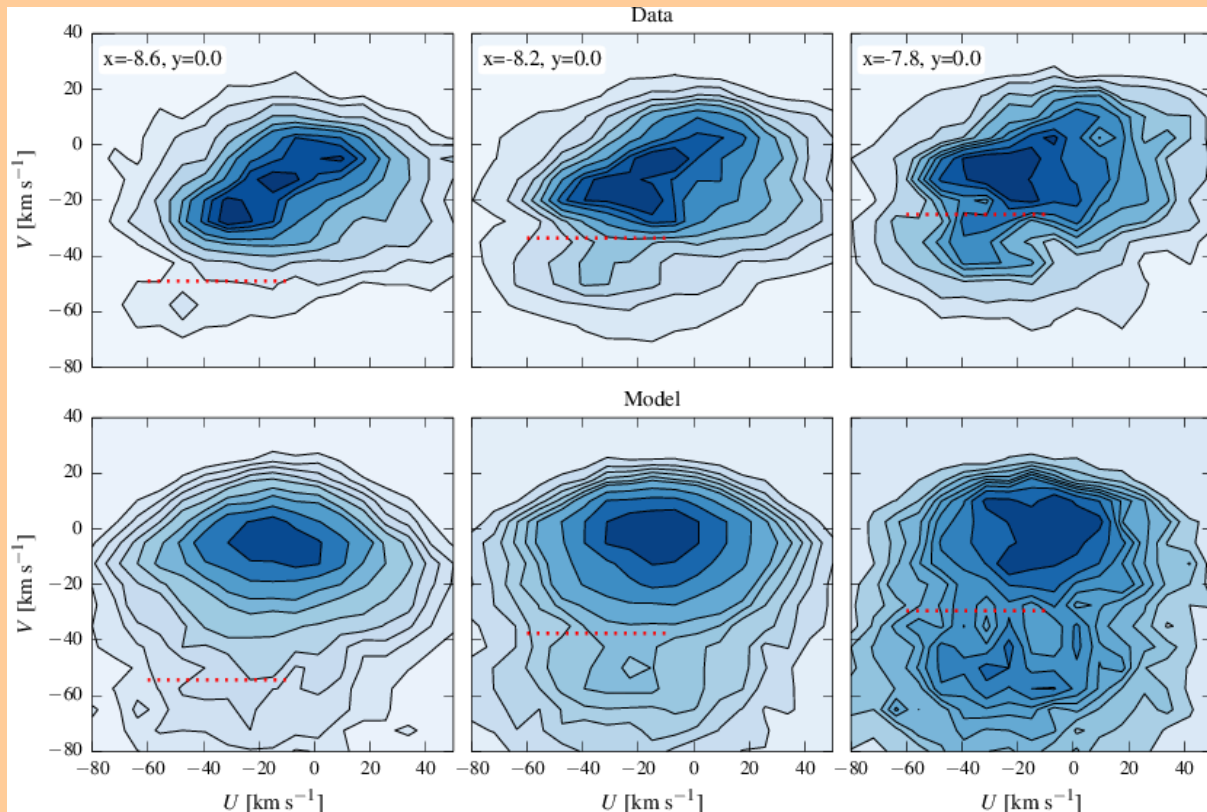
What Orbits Make Hercules in a Slow Bar



- These are orbits circulating the L4 and L5 Lagrange points. Good fraction go to both L4 and L5 i.e. are stochastic.
- They have long orbital periods in the rotating frame

“Hercules goes to see the Galactic bar”

Perez-Villegas et al 2017



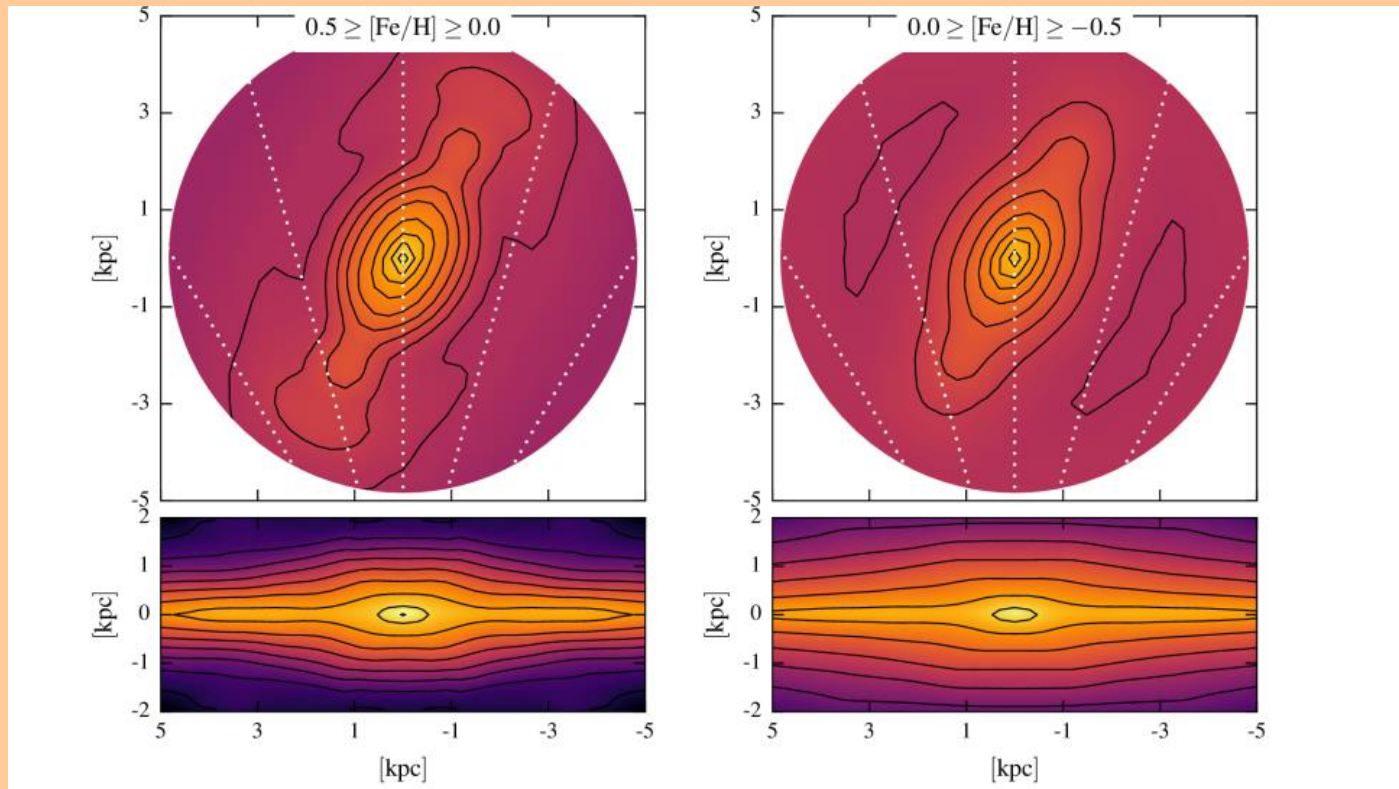
This model predicts that

- (i) Hercules stream fades outwards of the Sun
 - (ii) Could be more prominent in the metal-rich stars
 - (iii) Even the structure of the 'gap' with radius is not bad (NB: neither potential nor DF were made to match the disk though)
- Perez-Villegas et al 2017

Chemo-Dynamical Bulge Models

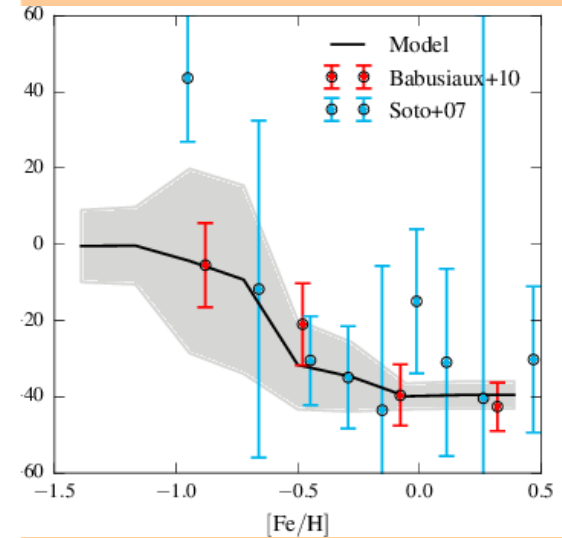
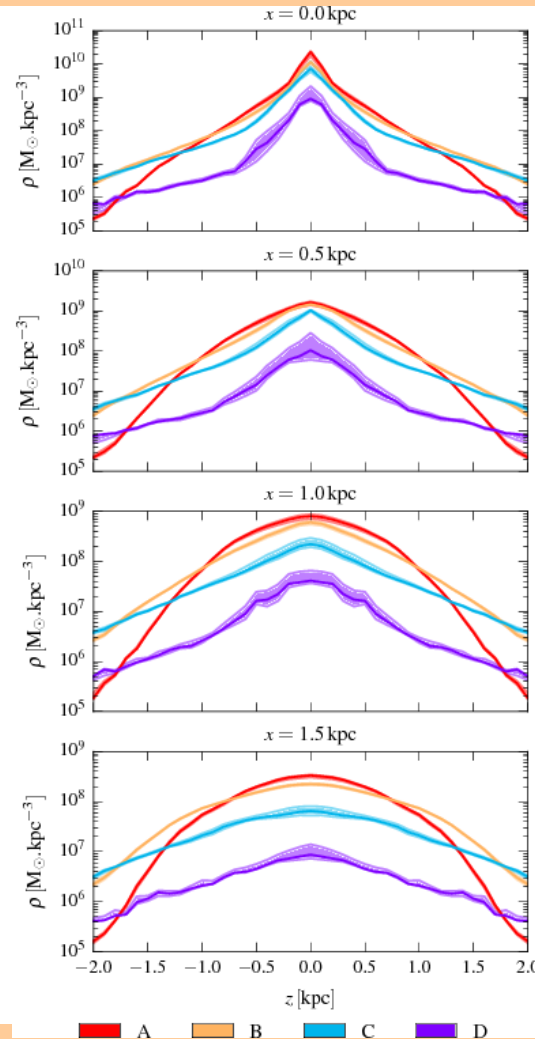
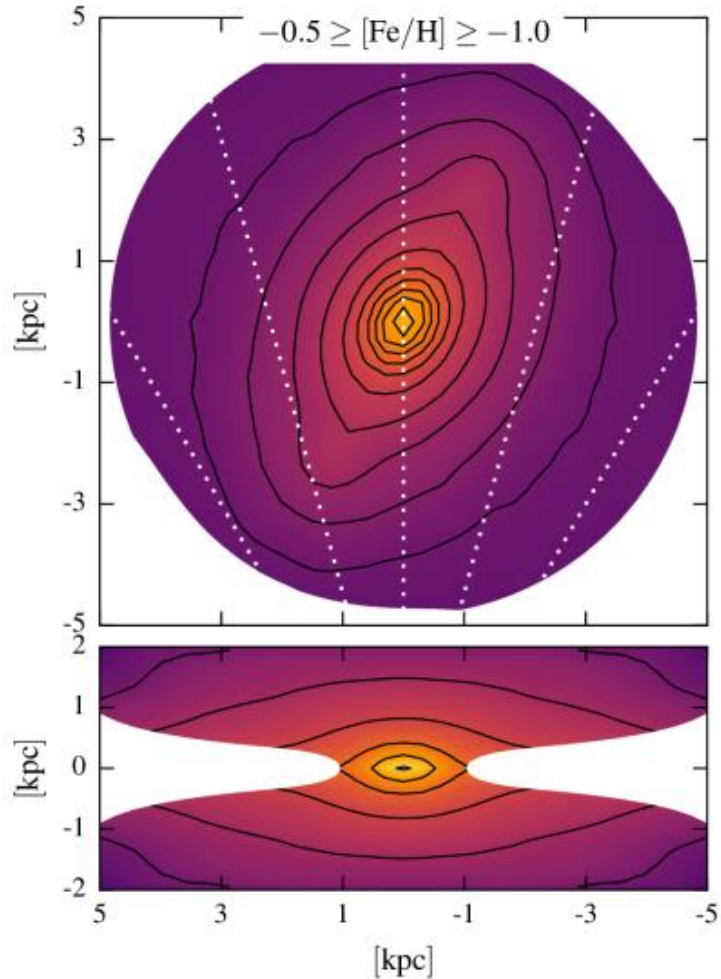
- M2M particles carry $[\mathbf{x}, \mathbf{v}, f(M)]$
- MDF $f(M)$ parameterized as MGE with indiv. Gaussians adjusted to ARGOS components
- Particles projected into obsv space using isochrones and M-dependent selection fn
- Particle metallicity weights w_c adjusted by comparing with similar data in distance bins

Portail et al 2017b



- The supersolar A bin has very pronounced bar ends. Contains younger stars?
- B + A contribute roughly equal number of bar-supporting orbits. Stars in B have higher v, σ and could come from further out in the initial unstable disk [Ness+'13, di Matteo+'14](#)

The Intermediate-Metal-Poor Bin C



Portail et al 2017b

- For $x > 1$ kpc, bin-C stars are a thick disk bar with $h_z = 500$ pc. For $x < 1$ kpc, additional dense component also seen in even more metal-poor stars. Could be bar-intrinsic, due to deep potential, or due to small classical bulge, or stellar halo.
- Together with A, B it reproduces the vertex deviations in the bulge.

Conclusions

- We live in a barred galaxy with a predominant B/P bulge. The bar region contains 2/3 of the MW's stellar mass.
- Nearby rotation curve and low DM fraction in the bulge imply that the MW's DM halo has a ~ 2 kpc core
- The pattern speed from bulge/bar data ($\Omega_b = 39 \pm 3.5$ km/s/kpc) puts the OLR at ~ 11 kpc. In this framework, the Hercules stream is from stars orbiting the bar's Lagrange points
- The bulge/inner disk IMF statistically inferred from microlensing time-scales is near-Kroupa, indistinguishable from the local disk IMF, despite the bulge formed on α -enhanced timescales
- The bulge/bar stellar populations broken up in metallicity bins have different orbit distributions. Find a strong metal-rich bar, a thick disk bar, and a dense central component in metal-poor stars with unclear origin